

. μ_j e A μ_j s μ_j r e s μ_j e e r μ_j e e e μ_j s D e e μ_j e μ_j
Pr μ_j e " DP" μ_j e A μ_j s μ_j s μ_j r e s μ_j e e r μ_j
e W μ_j F μ_j Pr μ_j e "WFP" .

. μ_j e *Berthaud* D_j 0 0 μ_j s μ_j r μ_j e μ_j e
A μ_j s μ_j e μ_j s μ_j DP's e μ_j s μ_j e r r μ_j μ_j μ_j
s μ_j e r μ_j e e e r e e e μ_j e μ_j s e r e .

. μ_j e *Berthaud* 0 - A_j - μ_j e A e μ_j s μ_j r μ_j e μ_j e
 μ_j e e μ_j e D_j μ_j e r e e e s e μ_j r μ_j s e r μ_j
 μ_j e

s r e e s s e s μ_j e e e μ_j e r e r μ_j μ_j
Ms. e r s e e e r S e μ_j e DP
R e r μ_j P μ_j s r e r e μ_j s μ_j e e r
e r μ_j e e e e s e e μ_j e
 μ_j s μ_j e e e r e μ_j e e e

. A s₀ Berthaud r . 4 e A e s₁ r s₁ e s₁ e s₁ e
A s₁ s₁ se

... $\int_{\mathbb{R}^n} e^{-\beta \phi} \mathbb{1}_{\{|\phi| \leq R\}} d\mu_{\beta} \rightarrow \int_{\mathbb{R}^n} e^{-\beta \phi} d\mu_{\beta}$ as $R \rightarrow \infty$.
... $\int_{\mathbb{R}^n} e^{-\beta \phi} \mathbb{1}_{\{|\phi| \leq R\}} d\mu_{\beta} \rightarrow \int_{\mathbb{R}^n} e^{-\beta \phi} d\mu_{\beta}$ as $R \rightarrow \infty$.
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e. $\int_{\mathbb{R}^n} e^{-\beta \phi} \mathbb{1}_{\{|\phi| \leq R\}} d\mu_{\beta} \rightarrow \int_{\mathbb{R}^n} e^{-\beta \phi} d\mu_{\beta}$ as $R \rightarrow \infty$.
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$\int_{\mathbb{R}^n} \text{S ORDERED}_j H_j \mathbb{1}_{\{|\phi| \leq R\}} d\mu_{\beta}$

... $\int_{\mathbb{R}^n} e^{-\beta \phi} \mathbb{1}_{\{|\phi| \leq R\}} d\mu_{\beta} \rightarrow \int_{\mathbb{R}^n} e^{-\beta \phi} d\mu_{\beta}$ as $R \rightarrow \infty$.